

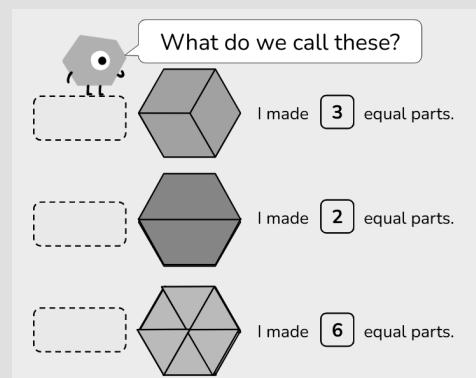
# Discovering Fractions

Family Guide | Grade 3 | Unit 7

Your student is exploring how fractions extend the number system to include numbers that represent equal parts of a whole.

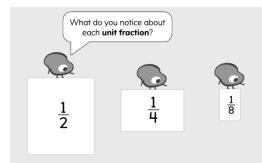
## Key Math Ideas

In previous grades, your student identified, created, and described halves, fourths, and thirds as equal-sized parts of a whole. Those experiences have provided a foundation for learning about fractions in this unit. Your student will connect visual fraction representations to fraction notation ( $\frac{1}{2}$ ,  $\frac{3}{4}$ , etc.). They will learn that the denominator tells the number of equal-sized parts in one whole, while the numerator tells the number of equal-sized parts in the fraction. For example,  $\frac{3}{5}$  means there are five equal-sized pieces in the whole and three equal-sized parts in the fraction. Your student will partition (split a whole into parts) shapes, number lines, and sets of objects into equal parts and name each part using a fraction. They will also explore making copies of a fraction to create new fractions, including fractions greater than 1.



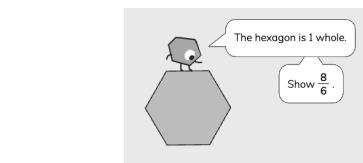
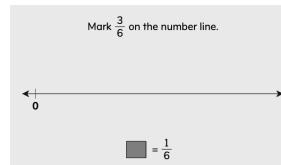
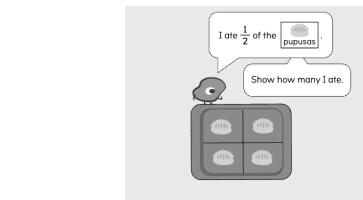
## → In the first half of the unit, your student will learn to

- partition 2-D shapes into equal parts and name each part with a unit fraction;
- use fraction notation to label unit fractions such as  $\frac{1}{2}$ ,  $\frac{1}{3}$ ,  $\frac{1}{4}$ , etc.;
- describe that the smaller the part, the more it takes to fill one whole and vice versa;
- describe that the denominator (bottom number) tells the number of equal-size parts needed to make one whole and that the numerator (top number) tells the number of equal-sized parts in the fraction;
- identify fractions less than or equal to 1 represented with sets of objects.



## → By the second half of the unit, your student will learn to

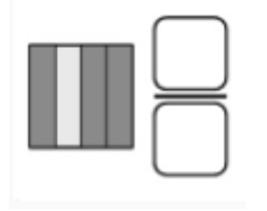
- copy or repeat unit fractions to create a new fraction using shapes and number lines;
- compare the same fraction represented using shapes and on a number line;
- use estimation to locate fractions on a number line;
- partition a whole into unit fractions and use those to create a new fraction;
- explain why it is important to define one whole when exploring fractions.



## Helpful Hint

It is helpful to use visual images and precise language when communicating with your student about fractions so they understand what the numbers in a fraction represent.

For example, when talking about the fraction  $\frac{3}{4}$ , say and encourage your student to say “three-fourths” instead of “3 over 4”. It will also be helpful to draw a picture of  $\frac{3}{4}$  when having the discussion and pointing out how there are 3 one-fourths shaded in.

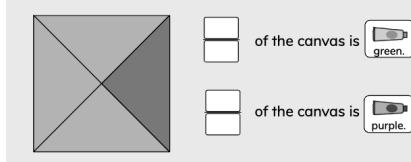


# Tips for Supporting Your Student at Home

## Questions to Ask Your Student

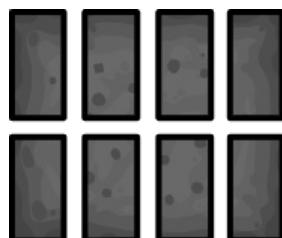
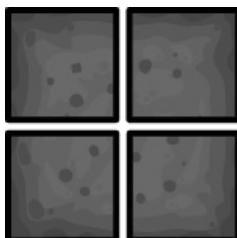
### → Throughout the unit:

- What does the fraction  $\frac{2}{6}$  mean? Can you draw  $\frac{2}{6}$ ?
- What does the denominator tell us about a fraction?
- What does the numerator tell us about a fraction?
- How can you create the fraction from unit fractions?
- What are two different ways to show  $\frac{3}{4}$ ? What about  $\frac{5}{2}$ ?
  - How can you show it with a rectangle?
  - How can you show it with a circle?
  - How can you show it with a number line?



## Try This Together!

- **Sharing food.** While cutting a sandwich, brownies, or slice of watermelon, discuss the fractions you see. For example, cut the item in half down the middle and ask your student how many equal-sized pieces there are and to name the fraction  $\frac{1}{2}$ . Then cut it again to show  $\frac{1}{4}$  and discuss how the pieces look different.



## If...

your student has difficulty showing fractions greater than one . . .

## Try...

providing opportunities for them to explore two wholes, such as two whole cookies or sandwiches, and considering what it would mean to have  $\frac{3}{2}$  of them.

## Student Strengths Spotlight

### I keep trying, even when a problem is hard.

When students persevere and do not give up when solving difficult problems, they gain and build confidence.

### I explain my thinking.

Students justify, explain, and communicate their thinking and reasoning to others to comprehend ideas.

### I notice patterns and try to understand them.

Recognizing patterns and using them to explore new problems supports students to think flexibly and in new ways.

- **Make a Number Line.** Use tape or sidewalk chalk to make a line on the ground. Have your student mark the line with the numbers 0 and 1. Then ask them to go stand on different fractions as you name them. For example, say “Stand on  $\frac{3}{6}$ ,” “Now stand on  $\frac{5}{6}$ ,” etc.

